

Kinematics	Energy	Fluids	Electric Current
$x = x_o + v_o t + \frac{1}{2} a t^2$	$W = Fd_{parallel}$	$P = \frac{F}{A}$	$I = \frac{Q}{t}$
$v = v_o + at$	$GPE = mgh$	$\rho = \frac{m}{V}$	$V = IR$
$v^2 - v_o^2 = 2a(x - x_o)$	$KE = \frac{1}{2} mv^2$	$P = \rho gh$	$R = \rho \frac{l}{A}$
x-displacement	$P = \frac{W}{t}$	$SG = \frac{\rho}{\rho_{water}}$	$P = \frac{U_E}{t}$
v-velocity	$P = Fv_{parallel}$	$P_{in} = P_{out}$	$P = IV = I^2R = \frac{V^2}{R}$
t-time	$E_o + W = E_f$	$P_{abs} = P_{atm} + P_{gauge}$	
a-acceleration	$F_{spring} = -kx$	$F_B = m_{fluid} g$	I-current
Dynamics	$EPE = \frac{1}{2} kx^2$	$F_B = \rho g V$	Q-charge
$\Sigma F = ma$	W-work	P-pressure	t-time
$f = \mu_k F_N$	F-force	F-force	V-voltage
$w = mg$	d-distance	A-area	R-resistance
F-force	GPE-gravitational potential energy	ρ -density	ρ -resistivity
m-mass	m-mass	m-mass	l-length
a-acceleration	g-acceleration due to gravity	V-volume	A-area
f-friction	h-height	g-acceleration due to gravity	P-power
μ_k -coefficient of kinetic friction	KE-kinetic energy	h-height	U _E -electric potential energy
F _N -normal force	v-velocity	SG-specific gravity	
w-weight	P-power	P _{abs} -absolute pressure	Resistors in Series
g-acceleration due to gravity	t-time	P _{atm} -atmospheric pressure	$V_T = V_1 + V_2 + V_3 \dots$
Centripetal Acceleration	E-energy	P _{gauge} -gauge pressure	$I_T = I_1 = I_2 = I_3 \dots$
$a = \frac{v^2}{r}$	F _{spring} -force of a spring	F _B -buoyant force	$R_{Eq} = R_1 + R_2 + R_3 \dots$
$T = \frac{t}{N} = \frac{1}{f}$	k-spring constant	m _{fluid} -mass of fluid	V _T -total voltage
$f = \frac{N}{t} = \frac{1}{T}$	x-extension or compression		V ₁ , V ₂ , V ₃ -voltage
$v = \frac{2\pi r}{T} = 2\pi r f$	EPE-elastic potential energy		I _T -total current
a-acceleration			I ₁ , I ₂ , I ₃ -current
v-velocity			R _{Eq} -equivalent resistance
r-distance			R ₁ , R ₂ , R ₃ -resistance
T-period			
t-elapsed time			Resistors in Parallel
f-frequency			$V_T = V_1 = V_2 = V_3 \dots$
N-number of cycles			$I_T = I_1 + I_2 + I_3 \dots$
Universal Gravitation			$\frac{1}{R_{EQ}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \dots$
$F_G = \frac{Gm_1 m_2}{r^2}$			V _T -total voltage
$g = \frac{GM}{r^2}$			V ₁ , V ₂ , V ₃ -voltages
$v = \sqrt{\frac{GM}{r}}$			I _T -total current
$\frac{T^2}{r^3} = \frac{4\pi^2}{GM}$			I ₁ , I ₂ , I ₃ -current
F _G -gravitational force			R _{Eq} -equivalent resistance
G-gravitational constant			R ₁ , R ₂ , R ₃ -resistance
m ₁ , m ₂ , M-mass			
r-distance			EMF
g- acceleration due to gravity			$\mathcal{E} = IR + Ir$
T-period			$V_T = \mathcal{E} - Ir$
			\mathcal{E} -emf
			I-current
			R-resistance
			r-internal resistance
			V _T -terminal voltage

Magnetic Fields	Simple Harmonic Motion Mass – Spring	EM Waves / Light	Constants
$F = IIB_{\perp}$		$c = \lambda f$	$g = 9.8 \frac{m}{s^2}$
$F = qvB_{\perp}$		$n = \frac{c}{v}$	$\pi = 3.14$
$B = \frac{\mu_o}{2\pi} \frac{I}{r}$	$T = 2\pi \sqrt{\frac{m}{k}}$	$\lambda_n = \frac{\lambda}{n}$	$G = 6.67 \times 10^{-11} \frac{Nm^2}{kg^2}$
$F_2 = \frac{\mu_o}{2\pi} \frac{I_1 I_2}{d} l_2$	$f = \frac{1}{2\pi} \sqrt{\frac{k}{m}}$	<u>Double Slit</u>	$m_E = 6.0 \times 10^{24} kg$
F-force	<u>Pendulum</u>	$x_{\max} \approx \frac{m\lambda L}{d}$	$r_E = 6.4 \times 10^6 m$
I, I_1, I_2 -current	$T = 2\pi \sqrt{\frac{l}{g}}$	$x_{\min} \approx \frac{(m+1/2)\lambda L}{d}$	$\rho_{water} = 1000 \frac{kg}{m^3} = 1 \frac{g}{cm^3}$
l, l_2 -length	$f = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$	$m = 0, 1, 2, \dots$	$P_{atm} = 1 atm = 101 kPa = 1.01 \times 10^5 Pa$
B-magnetic field	T-period	<u>Single Slit</u>	$k = 9.0 \times 10^9 \frac{Nm^2}{C^2}$
q-charge	m-mass	$x_{\min} \approx \frac{m\lambda L}{D}$	$q_{electron} = e = -1.6 \times 10^{-19} C$
v-velocity	k-spring constant	$m = 0, 1, 2, \dots$	$m_{electron} = 9.11 \times 10^{-31} kg$
r, d-distance	f-frequency	<u>Thin Films</u>	$m_{proton} = 1.67 \times 10^{-27} kg$
$\frac{\mu_o}{2\pi}$ -permeability constant	l-length	$film_{\max}, bubble_{\min} : 2t = m\lambda$	$\frac{\mu_o}{2\pi} = 2 \times 10^{-7} \frac{Tm}{A}$
$\frac{1}{2\pi}$	g-acceleration due to gravity	$film_{\min}, bubble_{\max} :$	$v_{sound} = 340 \frac{m}{s}$
Magnetic Flux	Waves / Sound Waves	$2t = \left(m + \frac{1}{2} \right) \lambda$	$c = 3.0 \times 10^8 \frac{m}{s}$
$\Phi = BA$	$v = \lambda f$	c-speed of light	$h = 6.6 \times 10^{-34} Js = 4.14 \times 10^{-15} eVs$
$\epsilon = \frac{-N\Delta\Phi}{t}$	$v = \sqrt{\frac{F_T}{\mu}}$	λ -wavelength	
$\epsilon = Blv$	$\lambda_n = \frac{2L}{n}$	f-frequency	
Φ -flux	$f_n = \frac{v}{\lambda_n} = n \frac{v}{2L} = nf_1$	x-distance to maxima/minima	
B-magnetic field	<u>Open Tubes</u>	L-distance to screen	
A-area	$f_n = \frac{v}{\lambda_n} = n \frac{v}{2L} = nf_1$	d-distance between slits	
ϵ -emf	$\lambda_n = \frac{2L}{n}$	D-slit width	
N-number of coils	$n = 1, 2, 3, \dots$	n-index of refraction	
t-time	<u>Closed Tubes</u>	v-velocity	
Quantum Physics		t-thickness of film	
$E = hf = \frac{hc}{\lambda}$		Optics	
$KE_{\max} = eV_o$		$f = \frac{r}{2}$	
$hf = KE + W_o$		$\frac{1}{f} = \frac{1}{d_o} + \frac{1}{d_i}$	
$E = mc^2$		$m = \frac{d_i}{d_o} = \frac{h_i}{h_o}$	
$p = \frac{h}{\lambda}$		f-focal length	
$\lambda = \frac{h}{mv}$		r-radius of curvature	
$r_n = \frac{n^2 r_1}{Z}$		d_i -image distance	
$E = \frac{E_1}{n^2}$		d_o -object distance	
E_1 (hydrogen) = -13.6eV	$n = 1, 3, 5, \dots$	m-magnification	
E-Energy	f-frequency	h_i -image height	
h-Plank's constant	v-velocity	h_o -object height	
f-frequency	λ -wavelength		
c-speed of light	F _T -tension		
λ -wavelength	μ -linear density		
KE _{max} -max kinetic energy	L-length		
e-electron charge	n-harmonic number		
V _o -stopping voltage	L-length		
W _o -work function			
m-mass			
p-momentum			
v-velocity			
r-atomic radius			
n-energy level			
Z-atomic number			

